

Study section 6.3 and example 6.2. Then answer the following questions.

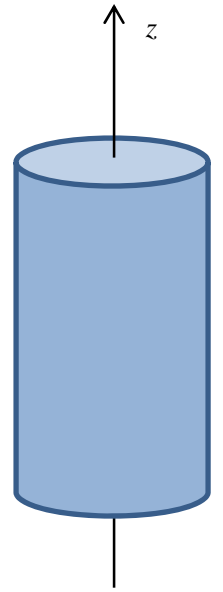
Consider a simple cylindrical magnet (radius R) having a uniform “frozen-in” magnetization given by $\vec{M}(\vec{r}) = M_0 \hat{z}$, where M_0 is a constant. There are no free currents in this problem, and you may assume the magnet is infinitely long.

1. Neatly sketch and clearly label the following: \vec{M} , \vec{B} , \vec{H} , \vec{K}_b , and \vec{J}_b . Only consider the region inside ($s < R$) the magnet.
2. Calculate the bound current densities (magnitude and direction).

$$\vec{K}_b =$$

$$\vec{J}_b =$$

3. Using Ampere’s law for \vec{B} and your results from question 2, determine the magnetic field (magnitude and direction) inside ($s < R$) the magnet. Be sure to sketch your Amperian loop.



4. To check your answer to question 3, use Ampere’s law for \vec{H} to determine the auxiliary field inside the magnet, and then use the relation between \vec{H} and \vec{B} to determine the magnetic field.

5. Comment on the ways in which this cylindrical magnet is similar to a well-studied example from Chapter 5.